| Examination: M.Sc Statistics | |
|---|--|
| SECTION 1 - SECTION 1 | |
| Question No.1 | |
| A set of feasible solution in linear programming problem is- | |
| Non-convex setConvex set | |
| Disconnected set | |
| None of these | |
| | |
| Question No.2 | |
| In Stratified sampling units between strata are Homogeneous | |
| ○ Heterogeneous | |
| Both Homogeneous and Heterogeneous are true | |
| Both Homogeneous and Heterogeneous are false | |
| Question No.3 | |
| The efficiency of SRSWOR with respect to SRSWR is | |
| \circ_{N-1} | |
| \overline{N} | |
| $\frac{N-n}{N}$ | |
| \circ $N-1$ | |
| $\frac{1}{N-n}$ | |
| \bigcirc N | |
| $\bigcirc \frac{N}{N-1}$ | |
| | |
| Question No.4 | |
| UMP test are proposed for testing a hypothesis for which level of significance specified as 0.05. Which one of the test is most appropriate | |
| among the following? Test with size 0.01 | |
| Test with size 0.04 | |
| Test with size 0.1 | |
| Test with size 0.06 | |
| Question No.5 | |
| Student's t statistic was pioneered by | |
| W.S. GossetS.S. Karl Pearson | |
| R.A. Fisher | |
| Hotelling | |
| Question No.6 | |
| Question No.0 | |
| | |
| Given a random sample of size 'n' from $U(0, \theta)$ distribution. Which of the following | |
| statement is not true? | |
| ${}^{\bigcirc}$ $2\overline{X}$ is an unbiased estimator of θ | |
| $\bigcirc X_{(n)}$ is an unbiased estimator of θ | |
| $X_{(n)}$ is maximum likelihood estimator of θ | |
| $\bigcirc X_{(n)}$ is minimal sufficient statistic for θ | |
| | |
| Question No.7 | |

Karl Pearson Coefficient of Skewness is given by

 σ (Mode – Median)

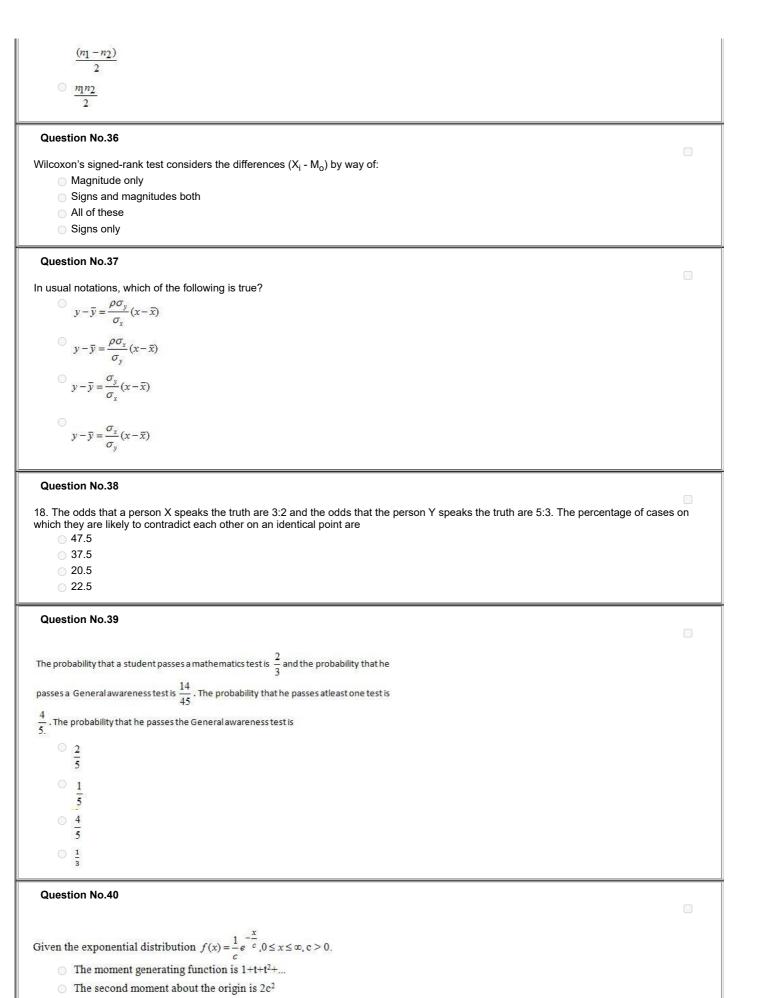
| $\frac{Mean - Mode}{\sigma}$ | |
|---|----------------|
| ○ Mean – Median | |
| σ Made – Median | |
| $\frac{\textit{Mode} - \textit{Median}}{\sigma}$ | |
| Question No.8 | |
| The trial control limits for R- chart with usual constant factors are: | |
| U.C.L. = D_4R . C.L = R and L.C.L = D_3R | |
| all of these | |
| \bigcirc U.C.L. = $D_4 \overline{R}$. C.L = \overline{R} and L.C.L = $D_3 \overline{R}$ | |
| U.C.L. = $D_4 \overline{R}$. C.L = \overline{R} and L.C.L = $D_4 \overline{R}$ | |
| Question No.9 | |
| An examination consists of two papers, paper 1 and paper2. The probability of failing in paper 1 is 0.3 and that in paper 2 is 0.2 student has failed in paper 2, the probability of failing in paper 1 is 0.6. The probability of a student in both the paper is 0.12 | . Given that a |
| 0.8 | |
| ○ 0.06○ 0.5 | |
| Question No.10 | |
| For testing equality of variances of two normal populations, we use | |
| ○ Normal test ○ F-test | |
| Chi-square test | |
| ○ t-test | |
| Question No.11 | |
| If experimental material is homogeneous, we use | |
| Randomised block designCompletely Randomized Design | |
| Both Randomised block design and Completely Randomized Design | |
| ○ Latin Square Design | |
| Question No.12 | |
| For symmetrical distribution Mean=Median=Mode | |
| $\bigcirc \beta_1 = 0$ | |
| \bigcirc $\beta_2 = 3$ | |
| ○ All of these | |
| Question No.13 | |
| Two unbiased dice are thrown . The probability that both the dice show the same number is | |
| $\bigcirc \frac{1}{36}$ | |
| \bigcirc $\frac{3}{6}$ | |
| $\circ \frac{5}{6}$ | |
| | |
| $\bigcirc \frac{1}{6}$ | |
| Question No.14 | |
| | |

Suppose $X_1,\ X_2,\ X_3,\ X_4$ are i.i.d. random variables taking values 1 and -1 with probability ½ each. Then $E(X_1,X_2,X_3,X_4)^4$ equals

| O 4 |
|---|
| ~ 70 |
| ○ 76 ○ 12 |
| |
| Question No.15 |
| If the primal of linear programming problem has no solution, then dual of the problem- |
| Has either no solution or is unbounded Has unbounded solution |
| Has an optimal solution |
| None of these |
| Question No.16 |
| A manufacturer of steel blades found 5% of its blade defective. He sells blades packets each containing 5 blades. The probability that a packet contains one defective blade is |
| 0.25e ^{-0.25} |
| 0.25 |
| ○ e ^{-0.25} |
| O 0.5 |
| Question No.17 |
| |
| Given $\sum a_{ij}x_j \leq b_i$, to convert it into equality we introduce- |
| Artificial variable |
| ○ Slack variable |
| Unrestricted variable Surplus variable |
| O CALPIAG PALIAGO |
| The average of male employees in a firm was Rs. 52000 and that of female was Rs. 4200. Find the percentage of male employees if the mean salary of employees was Rs. 5000. 50 80 60 20 |
| Ougstion No 10 |
| Question No.19 |
| |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as |
| Let X_1 and X_2 be independently distributed as $N(\mu_1, \sigma_1^2)$ and $N(\mu_2, \sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $\bigcirc N(\mu_1 + \mu_2, \sigma_1^2 - \sigma_2^2)$ |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $\bigcirc N(\mu_1 + \mu_2, \sigma_1^2 - \sigma_2^2)$ $\bigcirc N(\mu_1 - \mu_2, \sigma_1^2 - \sigma_2^2)$ |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $ \bigcirc N(\mu_1 + \mu_2, \ \sigma_1^2 - \sigma_2^2) $ $ \bigcirc N(\mu_1 - \mu_2, \ \sigma_1^2 - \sigma_2^2) $ $ \bigcirc N(\mu_1 + \mu_2, \ \sigma_1^2 + \sigma_2^2) $ $ \bigcirc N(\mu_1 + \mu_2, \ \sigma_1^2 + \sigma_2^2) $ |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $\bigcirc N(\mu_1 + \mu_2, \sigma_1^2 - \sigma_2^2)$ $\bigcirc N(\mu_1 - \mu_2, \sigma_1^2 - \sigma_2^2)$ |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $ \bigcirc N(\mu_1 + \mu_2, \ \sigma_1^2 - \sigma_2^2) $ $ \bigcirc N(\mu_1 - \mu_2, \ \sigma_1^2 - \sigma_2^2) $ $ \bigcirc N(\mu_1 + \mu_2, \ \sigma_1^2 + \sigma_2^2) $ $ \bigcirc N(\mu_1 + \mu_2, \ \sigma_1^2 + \sigma_2^2) $ |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $ \bigcirc N(\mu_1 + \mu_2, \ \sigma_1^2 - \sigma_2^2) $ $ \bigcirc N(\mu_1 - \mu_2, \ \sigma_1^2 - \sigma_2^2) $ $ \bigcirc N(\mu_1 + \mu_2, \ \sigma_1^2 + \sigma_2^2) $ $ \bigcirc N(\mu_1 - \mu_2, \ \sigma_1^2 + \sigma_2^2) $ Question No.20 |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $ \bigcirc N(\mu_1 + \mu_2, \sigma_1^2 - \sigma_2^2) $ $ \bigcirc N(\mu_1 - \mu_2, \sigma_1^2 - \sigma_2^2) $ $ \bigcirc N(\mu_1 + \mu_2, \sigma_1^2 + \sigma_2^2) $ $ \bigcirc N(\mu_1 - \mu_2, \sigma_1^2 + \sigma_2^2) $ Question No.20 |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $ N(\mu_1 + \mu_2, \sigma_1^2 - \sigma_2^2) $ $ N(\mu_1 - \mu_2, \sigma_1^2 - \sigma_2^2) $ $ N(\mu_1 + \mu_2, \sigma_1^2 + \sigma_2^2) $ $ N(\mu_1 - \mu_2, \sigma_1^2 + \sigma_2^2) $ Question No.20 $ N(\mu_1 - \mu_2, \sigma_1^2 + \sigma_2^2) $ |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then $Y=X_1\cdot X_2$ is distributed as $ N(\mu_1+\mu_2,\sigma_1^2-\sigma_2^2) \\ N(\mu_1+\mu_2,\sigma_1^2-\sigma_2^2) \\ N(\mu_1+\mu_2,\sigma_1^2+\sigma_2^2) \\ N(\mu_1-\mu_2,\sigma_1^2+\sigma_2^2) \\ N(\mu_1-\mu_2,\sigma_1^2+\sigma_2^2) $ Question No.20 $ S=\sum_{i=1}^n (x_i-\bar{x})^2/n $ Both $S^2=\sum_{i=1}^n (x_i-\bar{x})^2/(n-1)$ and $S^2=\sum_{i=1}^n (x_i-\bar{x})^2/n $ |
| Let X_1 and X_2 be independently distributed as $N(\mu_1,\sigma_1^2)$ and $N(\mu_2,\sigma_2^2)$ respectively. Then Y= X_1 - X_2 is distributed as $ N(\mu_1 + \mu_2, \sigma_1^2 - \sigma_2^2) $ $ N(\mu_1 - \mu_2, \sigma_1^2 - \sigma_2^2) $ $ N(\mu_1 + \mu_2, \sigma_1^2 + \sigma_2^2) $ $ N(\mu_1 - \mu_2, \sigma_1^2 + \sigma_2^2) $ Question No.20 $ N(\mu_1 - \mu_2, \sigma_1^2 + \sigma_2^2) $ Which of the following is consistent estimator of population variance in $N(\mu_1, \sigma_2^2)$? |

| Question No.21 | |
|--|--------|
| Let X be a binomial random variable with parameter $\left(11, \frac{1}{3}\right)$. At which value of k is $p(X = k)$ maximizes? | |
| | |
| ○ k = 3 | |
| ○ k = 5 ○ k = 6 | |
| ○ k = 2 | |
| | |
| Question No.22 | |
| For testing a simple null hypothesis against a simple alternative hypothesis, which of the following statement is most appropriate | |
| UMP level 'α' test exists | |
| Most powerful level 'a' test exists | |
| UMPU level 'α' test exists | |
| ○ All of these | |
| Question No.23 | |
| If X is the number of success in n independent trials with constant probability P of success of each trial, the variance of proportion of suc | |
| p=X/n is | |
| ○ P/n | |
| nP(1-P) | |
| ○ P(1-P)/n | |
| ○ P(1-P) | |
| Question No.24 | |
| Suppose X and Y are independent random variables where Y is symmetric about 0. Let $U = X - Y$ and $V = Y - X$. Then | |
| U and V have the same distribution | |
| ○ U and Y are always independent | |
| ○ V is always symmetric about 0 | |
| ○ U is always symmetric about 0 | |
| Question No.25 | |
| Which of the following is not a principle of design of experiments? | |
| Randomisation | |
| Replication | |
| Universal Control | |
| ○ All of these | |
| Question No.26 | |
| Mean aguare error of estimators obtained by the method of minimum Chi aguare in | |
| Mean square error of estimators obtained by the method of minimum Chi-square is: | |
| less than ML estimators | |
| cannot be decided | |
| o more than ML estimators | |
| Question No.27 | |
| | |
| A system has three components and the system works if at least two of the three components work. The lifetimes of the components an independent and identically distributed exponential random variables with mean 1. If X denote the lifetime of the system, then E(X) is | 5 |
| © 5/6 | |
| o 1/2 | |
| 0 1 | |
| o 2/3 | |
| Question No.28 | |
| | om!- |
| The average incoming call rate is 4 per minute. The probability that there are not more than 3 calls, assuming Poisson distribution for inc call rate is- | coming |
| \circ e^{-6} | |
| | |
| $\frac{71}{3}e^{-4}$ | |
| | |
| | |

| $-\frac{71}{3}$ $\bigcirc -e4$ | |
|--|--|
| Question No.29 | |
| Statement A: Events are called mutually exclusive if some or all events of a trial can happen simultaneously in the same trial. Statement B: Events of a trial are said to be equally likely if there is no reason to expect an outcome in preference to other. | |
| Then, which of the following statements are true? Statement A is true Statement B is true Both statements (A) and (B) are true Both statements are false | |
| Question No.30 | |
| For testing significance of difference of proportions of an attribute in two populations in large sample theory, we use Chi-square test Z-test t-test All of these | |
| Question No.31 | |
| Correlation coefficient is measured if relationship between two variables Linear Quadratic Both Linear and Quadratic | |
| Bilinear | |
| Question No.32 | |
| Kolmogrov-Smirnov test is useful as: a test of goodness of fit a test randomness a test for median | |
| All of these | |
| Question No.33 | |
| Let X be distributed as Binomial (n,p). Then Y=n-X is distributed as Binomial(n,p) | |
| ○ Binomial (n,q) ○ Binomial(0,q) | |
| ○ Binomial(0, p) | |
| Question No.34 | |
| Let $X_1, X_2,, X_n$ be independently and identically normally distributed random variables as | |
| $N(\mu_{}^{},\sigma_{}^{2})$, then their mean \overline{X} = (X_{1} + X_{2} ++ X_{n})/n is distributed as | |
| $^{\circ}$ $_{N(\mu,\sigma^2/\sqrt{n})}$ | |
| $\bigcirc N(\mu,\sigma^2/n)$ | |
| $\bigcirc N(n\mu,\sigma^2)$ | |
| $N(\mu,\sigma^2)$ | |
| Question No.35 | |
| If n1 and n2 in Mann-Whitney test are large, the variable U is distributed with mean: $ \frac{(n_1+n_2)}{2} $ | |
| \circ n_1n_2 | |
| | |
| | |



The second moment about the origin is c³.
 The moment generating function is 1+c² t+t²+...

Question No.41

| Stratified sampling is always more efficient than SRS if units are selected by Proportional Allocation | |
|---|--|
| Neyman Allocation | |
| Both Proportional Allocation and Neyman Allocation are true | |
| ○ None of these | |
| Question No.42 | |
| Consider a 2 ³ factorial design laid out in 2 blocks, each of size 4, as follows | |
| Block1: 1 b c bc Block2: ab ac a abc | |
| Here the treatment combinations are written in Yates' notation. Then which of the following are always true? | |
| Main effect A is confounded | |
| Interactions AB, BC, AC are all unconfounded Interaction ABC is confounded | |
| All of these | |
| Question No.43 | |
| Square of standard normal variate follows | |
| Standard normal variate | |
| ○ Chi-square variate | |
| ○ F- variate | |
| ○ Beta variate | |
| Question No.44 | |
| The desirable criteria of a good estimator are | |
| Unbiasedness Consistency | |
| ConsistencyEfficiency | |
| ○ All of these | |
| Given $P(A_i) = \left(\frac{1}{2}\right)^i$ and $\bigcup_{i=1}^{\infty} A_i = S$, where A_i are mutually exclusive events, then $P(S)$ is- | |
| ⁰ 1/3 | |
| ο σ | |
| \circ 1 | |
| | |
| 9 | |
| Question No.46 | |
| Which one of the following statements is not true? | |
| In a symmetric distribution the values of mean, mode and median are the same In a positively skewed distribution, Mean > Median > Mode | |
| In a negatively skewed distribution, Mode > Mean > Median | |
| The measure of skewness is dependent upon the amount of dispersion | |
| Question No.47 | |
| | |
| Let $X_{\mathcal{L}}, X_{\mathcal{L}},, X_{\mathcal{K}}$ be a random sample from normal population $N(\mu, \sigma^2)$. The unbiased estimator | |
| of population mean μ is given by | |
| | |
| $(X_1+X_n)/2$ | |
| $(X_1 + X_n)/2$ All the above | |
| | |
| All the above | |

| Question No.40 | |
|---|----------------------------------|
| Given a random sample of size 'n', which of the following distribution does not possess MLR property? | |
| Cauchy distribution | |
| Weibull distribution | |
| O Poisson distribution | |
| Neither Cauchy distribution nor Weibull distribution | |
| Question No.49 | |
| Ordinary sign test utilizes: | |
| Poisson distribution | |
| Binomial distribution | |
| both Poisson distribution and Binomial distribution | |
| oneither Poisson distribution nor Binomial distribution | |
| Question No.50 | |
| random variable X is distributed with probability density function | |
| $f(x) = Kx (2-x), 0 \le x \le 2$ | |
| the value of K is | |
| ○ <u>1</u> | |
| 3 | |
| $ \begin{array}{c} \frac{1}{3} \\ \frac{2}{3} \end{array} $ | |
| | |
| 3 | |
| O <u>3</u> | |
| $\overline{4}$ | |
| Question No.51 | |
| B: Every optimal solution of linear programming problem is solution. A and B both are true Only A is true | |
| Only B is true | |
| ○ Both A and B are false. | |
| Question No.52 | |
| | |
| et T_1 and T_2 be unbiased estimators of a parameter with variances V_1 and V_2 . Then, T_1 is more efficient the | an $T_{\scriptscriptstyle 2}$ if |
| \circ v_1 | |
| $\frac{v_1}{v_2}$ < 1 | |
| | |
| $\frac{V_1}{V_2} = 1$ | |
| $\overline{V_2} = 1$ | |
| | |
| On conclusion is possible | |
| | |
| $\frac{V_1}{V_2} > 1$ | |
| 5.2 | |
| Question No.53 | |
| Siven a random sample of size 'n' from geometric distribution. Which of the following statement is true? | |
| | |
| \overline{X}^2 is minimum variance bound estimator of $\frac{q}{p}$ | |
| | |
| \overline{X} is minimum variance bound (MVB) estimator of 'q' | |
| | |
| \overline{X} is minimum variance bound (MVB) estimator of 'p' | |
| \overline{X} is minimum variance bound estimator of $\frac{q}{\overline{X}}$ | |
| p | |

| Question No.54 | |
|---|---|
| R-charts are preferable over σ-charts because: | |
| R and S.D. fluctuate together in case of small samples R is easily to calculate | |
| ○ R-charts are economical | |
| ○ all of these | |
| Question No.55 | |
| Let $X_1, X_2,, X_n$ are $N(\mu, \sigma^2)$, independent then the sample mean is distributed as | |
| $N(\mu,\sigma^2)$ | |
| $^{\circ}$ $_{ m N(\mu,\sigma^2/n)}$ | |
| \bigcirc N(μ , σ /n) | |
| $N(\mu, n\sigma^2)$ | |
| Question No.56 | |
| While analysing the data of a k × k Latin square, the error degrees of freedom in analysis of variance is equal to: | |
| $^{\circ}$ k ² -2 $^{\circ}$ k ² -k-2 | |
| ○ k(k-1)(k-2) | |
| ○ (k-1)(k-2) | |
| Question No.57 | |
| | |
| The probability mass function of Poisson distribution $P(X,\lambda)$ with X=0,1,2, and $\lambda > 0$ is given by | |
| $\bigcirc e^{-\lambda}\lambda^{x}$ | |
| $\bigcirc \frac{e^{-\lambda}\lambda^{\kappa}}{\lambda}$ | |
| $\bigcirc \frac{e^{-\lambda}\lambda^x}{x!}$ | |
| $\bigcirc \frac{e^{-\lambda}\lambda^x}{x}$ | |
| Question No.58 | |
| The characteristic function of degenerate random variable at a is | |
| exp(at) sin(at) | |
| o exp(-iat) | |
| o exp(iat) | |
| Question No.59 | |
| Which of the following statements is true? | |
| population mean decreases with increase in sample size population mean decreases with decreases in sample size | |
| oppulation mean increases with the increase in sample size | |
| oppulation mean is a constant value | |
| Question No.60 | |
| For estimating the population proportion P in a class of a population having N units, the variance of the estimator p of P based on simple random sample for size n is: | ; |
| $\bigcirc \frac{N}{N-1} \frac{PQ}{N}$ | |
| N-1 N | |
| $\frac{N}{N-1}\frac{PQ}{n}$ | |
| 5900 30 200 | |
| $ \begin{array}{c} N-1 \\ N-n \end{array} \underbrace{PQ}_{n} $ | |

| $\frac{N-n}{N-1} \frac{PQ}{n}$ | |
|--|--|
| Question No.61 | |
| Control Charts in statistical quality control are meant for: describing the pattern of variation checking whether the variability in the product is within the tolerance limits or not discovering whether the variability in the product is due to assignable causes or not all of these | |
| Question No.62 | |
| Suppose X is distributed as Poisson with parameter λ . Then P(X = 0) is $ e^{-\lambda} $ $ \lambda $ | |
| $^{\circ}$ $\lambda e^{-\lambda}$ $^{\circ}$ $\lambda / e^{-\lambda}$ | |
| Question No.63 | |
| Which of the following is not considered as an assumption for t-test? The sample is drawn from normal population The sample observations are independent The standard deviation of population is known All of these | |
| Question No.64 | |
| Which of the above statements is true? Statement(I) is true statement (II) is true Both statements are true Both are false | |
| Question No.65 | |
| Which of the following basis distinguishes cluster sampling and stratified sampling? clusters are preferably heterogeneous whereas strata are taken as homogeneous as possible small size clusters are better whereas there is no such restriction for stratum size all of these a sample is always drawn from each stratum whereas all the elementary units is drawn from selected clusters | |
| Question No.66 | |
| If the sample size is large in Wilcoxon's signed rank test, the statistic T ⁺ is distributed with variance: $\frac{n(n-1)(2n+1)}{12}$ | |
| $\frac{n(n-1)(2n-1)}{24}$ $\frac{n(2n+1)}{12}$ | |
| $\frac{n(n+1)(2n+1)}{24}$ | |
| Question No.67 | |
| The causes leading to vast variation in the specifications of a product are usually due to: | |

| ○ all of these |
|---|
| Question No.68 |
| In simple random sampling without replacement, variance of sample mean \overline{y} is given by |
| $V(\bar{y}) = \frac{N-n}{N} S^2$ |
| $V(\vec{y}) = nS^2$ |
| $V(\bar{y}) = \frac{N-1}{Nn} S^2$ |
| $V(\bar{y}) = \frac{N-n}{Nn} S^2$ |
| Question No.69 |
| The first two moments of a distribution about the value 4 are -1.5 and 17. The first two moments about mean are |
| -1.5, 172.5, 21.0 |
| 5.5, 12.50 _ 2.5, 14.75 |
| ○ 2.5, 14.75 |
| Question No.70 |
| A basic solution to the system is degenerate if- Some basic variables are equal to zero |
| Some basic variables are negativeSome basic variables are positive |
| Some basic variables are non-zero |
| Question No.71 |
| The mean deviation of observations is least if observations are measured from |
| ○ Mode ○ Median |
| Geometric mean |
| ⊝ Mean |
| Question No.72 |
| A simple random sample of size 3 is drawn from a population of N units with replacement. The probability that the same unit appears in the three draws is |
| ○ 1/N ³ |
| ○ 1/N ○ 1/N ² |
| ○ 1/N² ○ (N-1)/N |
| Question No.73 |
| For two attributes X and Y, the conditions of their consistency are |
| $\bigcirc (XY) \ge (X) + (Y) - N$ |
| \bigcirc (XY) \leq (X) |
| Statement (A) is true but (B) is false |
| O Both statements (A) and (B) are true |
| Question No.74 |
| Let the variance of a random variable X be σ^2 . Then the variance of random variable U= 2X + 3 is |
| \odot σ^2 |
| \bigcirc 4 σ^2 |
| $\bigcirc 2\sigma^2 + 3$ |

| $\bigcirc 4\sigma^2 + 9$ |
|--|
| Question No.75 |
| Let $\{X_n: n \geq 0\}$ and X be random variables defined on a common probability space. Further assume that X_n 's are non negative and X takes values 0 and 1 with probability p and 1-p respectively, where $0 \leq p \leq 1$. Which of the following statements are necessarily true? |
| If $0 and X_n converges to X in distribution, Then X_n converges to X in probability$ |
| If $p = 0$ and X_n converges to X in distribution, Then X_n converges to X in probability |
| If X_n converges to X in probability, Then X_n converges to X almost surely. |
| If $p = 1$ and X_n converges to X in distribution, Then X_n converges to X almost surely. |
| Question No.76 |
| Method of minimum Chi-square for the estimation of parameters utilizes: |
| Chi-square distribution function Pearson's Chi-square statistic |
| Contingency table |
| ○ All of these |
| Question No.77 |
| An urn contains 4 white, 3 black, 2 red and 1 blue balls. Four balls are drawn randomly. The probability that they are of different colour is |
| $\frac{3}{5}$ |
| $\bigcirc \frac{12}{105}$ |
| |
| $\bigcirc \frac{4}{35}$ |
| $\bigcirc \frac{2}{5}$ |
| 3 |
| Question No.78 |
| The chances that doctor A will diagnose a disease X correctly is 60%. The chances that a patient will die by his treatment after correct diagnosis is 40% and the chances of death by wrong diagnosis is 70%. A patient of doctor A, who had disease X, died. The chance that his disease was diagnosed correctly is |
| <u>13</u> <u>25</u> |
| $\bigcirc \frac{1}{13}$ |
| 3905 |
| $\left \begin{array}{c} \frac{6}{13} \end{array}\right $ |
| $\bigcirc \frac{2}{25}$ |
| Question No.79 |
| If value of correlation coefficient between X and Y is zero, then they are |
| necessarily dependent |
| cannot decide not necessarily independent |
| onecessarily independent |
| Question No.80 |
| The main and interaction effects in a 2 ⁿ - factorial experiment can easily be estimated with the help of: Simple effects |
| ontrasts |
| o both Simple effects and contrasts |
| oneither Simple effects nor contrasts |
| Question No.81 |

| VA/I-1-1-541-5-11 | | the selection | | | |
|--|--|--|---|---|---|
| $Vinich of the following H: \theta < \theta_0$ | owing is not a composite hypo | tnesis? | | | |
| All of the | | | | | |
| $O_{H:\theta=\theta_0}$ | | | | | |
| $\bigcirc H:\theta > \theta_0$ | | | | | |
| Question No.8 | 32 | | | | |
| | | | | | |
| An analysis of following res | of monthly wages paid to sults | the workers of two | o firms A and B be | longing to the same i | ndustry give the |
| | <u></u> | A | | ī | |
| | Number of workers | Firm A 500 | Firm B 600 | - | |
| | Average daily wages | Rs. 186.00 | Rs. 175.00 | | |
| | Standard deviation | 9 | 10 | | |
| Then | | | | | |
| | nas larger wage bill | | | | |
| | ison of Bills is not possible ns have equal bills | | | | |
| | ns have equal bills has larger wage bill | | | | |
| Question No.8 | 22 | | | | |
| | | | | | |
| Significance of t | he partial regression coefficien | its can simultaneousl | y be tested by: | | |
| Z-test | | | | | |
| ⊝ Chi-squa | are test | | | | |
| ○ F-test | | | | | |
| Question No.8 | 34 | | | | |
| To examine whe a clinical trial. The this? | ether two different skin creams nen cream A was applied to on | A and B have difference of the randomly ch | nt effect on the huma osen arms of each pe | n body n randomly chose erson, cream B to the othe | n persons, were enrolled in er. What kind of a design is |
| | nized Block Design | | | | |
| | d Incomplete Block Design | | | | |
| | tely Randomized Design uare Design | | | | |
| | | | | | |
| Question No.8 | | | | | |
| | oution has a double mode at x= | =3 and x=4 | | | |
| The pro | bability that x=3 is $\frac{32}{3}e^{-4}$ | | | | |
| All of the | | | | | |
| The pro | bability that x=4 is $\frac{32}{3}e^{-4}$ | | | | |
| The pro | bability that x=3 or x=4 is $\frac{64}{3}$ | e ⁻⁴ | | | |
| Question No.8 | 36 | | | | |
| | | and the second second | O't. 14#1 1 5#1 | fall and a second | |
| | for the month of June 2013 is a infall is random? | avallable for Bengalul | ru City. Which of the f | ollowing test is most appr | opriate to check whether the |
| Wilcoxo | | | | | |
| Median | | | | | |
| Run testSign tes | | | | | |
| | | | | | |
| Question No.8 | 37 | | | | |

| Consider the following data- | |
|--|------------------|
| X: 0 1 2 3 4 5 6 7 8 f: 1 9 26 59 72 52 29 7 1 | |
| The 4 th decile of above data is given by | |
| 4 | |
| 0 1 | |
| © 2 © 3 | |
| | |
| Question No.88 | |
| Binomial distribution B(n, p) tends to Poisson distribution if np= constant and | |
| $n \to \infty$ and $p \to 0$ | |
| | |
| $n \to \infty$ and $p \to \infty$ $n \to 0$ and $p \to \infty$ | |
| | |
| $n \rightarrow 0$ and $p \rightarrow 0$ | |
| Question No.89 | |
| A cyclist pedals from his house to his college at a speed of 10 km/hr and back from the college to his house at 15 km/hr The | average speed of |
| the cyclist is | |
| 15 km/hr12.5 km/hr | |
| ○ 25 km/hr | |
| ○ 12 km/hr | |
| Question No.90 | |
| | |
| Which one problem out of the four is not related to stratified sampling? in fixing the criterion for stratification | |
| fixing the number of strata | |
| ○ fixing the sample size | |
| fixing the points of demarcation between strata | |
| Question No.91 | |
| | |
| For estimating the population mean , let T ₁ be the sample mean under srswor and T ₂ under srswr. Then: | |
| ○ var (T1) = 1/var(T2) ○ var (T1) < var(T2) | |
| var (T1) = var (T2) | |
| ovar (T1) ≥ var (T2) | |
| Question No.92 | |
| QUESTION NO.32 | |
| If the list of all the population unit is not available then we go for | |
| Systematic samplingTwo stage sampling | |
| Cluster sampling | |
| Stratified sampling | |
| Question No.93 | |
| Stratified sampling belongs to the category of: | |
| onon-random sampling | |
| judgement sampling | |
| orandom sampling | |
| subjective sampling | |
| Question No.94 | |
| | |
| In usual notations, let $r_{12} = 0.77_{\ell}$ $r_{13} = 0.72$ and $r_{23} = 0.52$. The value of multiple correlation $R_{1,23}$ is | |
| | |
| 0.8 | |
| 0.09 0.86 | |
| 0.95 | |
| | |

| Question No.95 | |
|---|--|
| Which of the following distributions does not belong to exponential family? | |
| ○ Gamma | |
| Uniform | |
| Normal Waithull | |
| ○ Weibull | |
| Question No.96 | |
| In sample surveys, as sample size increases | |
| Statement (I): Variance of estimator decreases. Statement (II): Non-sampling error increases | |
| Which of the above statements is true? | |
| Statement (I) is true | |
| Statement (II) is true | |
| Both statements are true | |
| Both statements are false | |
| Question No.97 | |
| The moment generating function of normal distribution $N(\mu,\sigma^2)$ is given by | |
| | |
| $\exp(\sigma t - \frac{1}{2}\mu^2 t^2)$ | |
| $\exp(\mu t + \frac{1}{2}t^2\sigma^2)$ | |
| $\exp(\mu t - \frac{1}{2}t^2\sigma^2)$ | |
| $\exp(\mu t - \frac{1}{2}t \delta)$ | |
| $\exp(\sigma t + \frac{1}{2}\mu^2 t^2)$ | |
| Question No.98 | |
| | |
| | |
| $E[(aX+b)^n]$ is equal to | |
| $aE(X) + b^n$ | |
| | |
| $E(a^nX)+b^n$ | |
| | |
| $\sum_{i=0}^{n} \binom{n}{i} a^{n-i} b^{i} E(X^{n-i})$ | |
| $t=0$ \ t | |
| n(n) $n-i$ $n-i$ $n-i$ $n-i$ | |
| $\sum_{i=1}^{n} {n \choose i} a^{n-i} b^{n-i} E(X^{n-i})$ | |
| Question No.99 | |
| | |
| Let X and Y be independent random variables distributed Binomially as $\mathit{B}(n,p_1)$ and | |
| $B(n, p_2)$ respectively. Then Z=X+Y is distributed as | |
| $\bigcirc B(\frac{1}{n}, p_1 p_2)$ | |
| $\bigcirc B(n, p_1 + p_2)$ | |
| $\bigcirc B(\sqrt{n},p_1p_2)$ | |
| $\bigcirc B(n^2,p_1+p_2)$ | |
| Question No.100 | |
| | |
| Let \overline{X} be the mean of a variable X. Then mean of variable U= (X- \overline{X})/ \overline{X} is \bigcirc 0 | |
| ○ 0 ○ -1 | |
| 0 1 | |
| \circ \overline{x} | |
| 15.00 | |